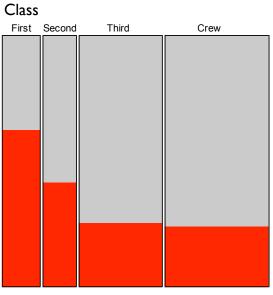
# Chapter 4

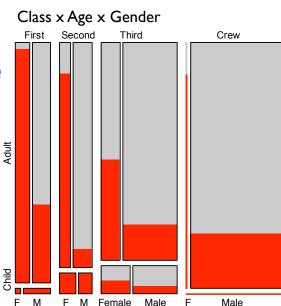
# **Multidimensional Plots**

www.interactivegraphics.org

# **Mosaic Plot: Construction**

- Mosaic plots follow a strict recursive definition
- In one dimension it is nothing more than a simple spineplot
- Usually splitting alternates between x and y axis
- Gaps get smaller as the recursion progresses
- Highlighting adds just like an additional variable without gap









Male

F

F M Female

Child

F

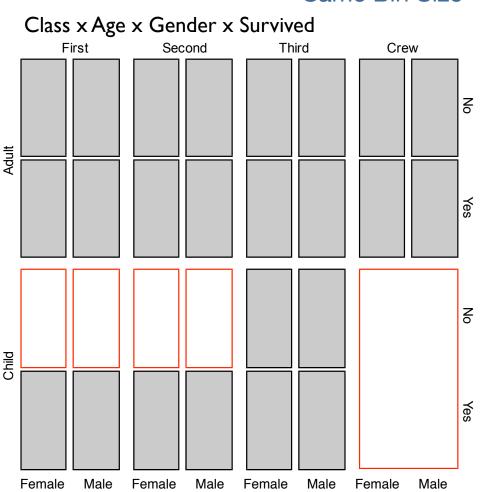
Male

78

Same Bin Size

# **Mosaic Plot: Variations**

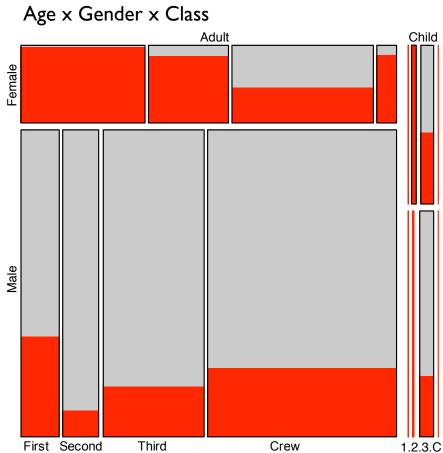
- Two known variations which work well for few dimensions
  - multiple barchart
  - fluctuation diagram
- For many variables we face the "problem" of observing increasingly more empty cells
- In the same bin size view, we can focus on the distribution of the empty cells
- An optimized order may ease the interpretation of the empty cell structure



79

# **Mosaic Plot: Orderings**

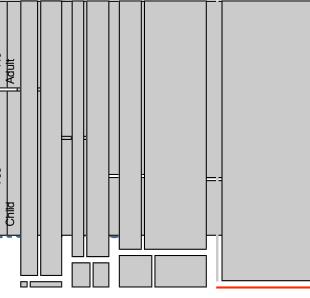
- The order of the variables has a great impact on the interpretation, not only in the same bin size view.
- In the "default view", we compare survival rates conditioned on class, age and gender
- In this alternative view, we can focus on the comparison of the survival rates given age and gender
- The small survival rate for 2nd class males in now immediately visible



80

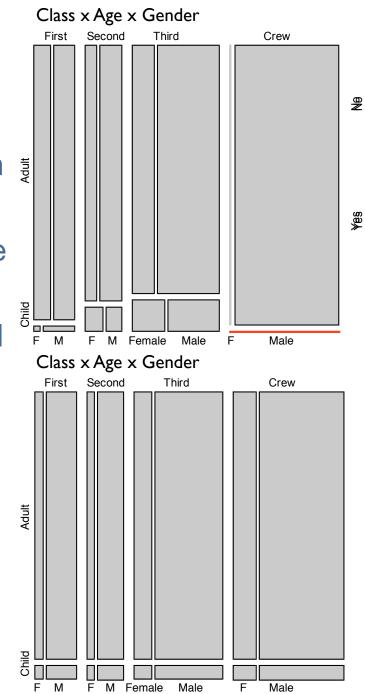
# Mosaic Plot: Categorical Models

- A statistical model for categorical data can be easily visualized in a mosaic plot in the same way the raw data can be shown
- The most trivial model is actually the same bin size view
- The typical null model is usually the model of mutual independence of mutual independence
- In the indeper proportions st 2 g
- Other also n relatively easy independence (again, order r



a

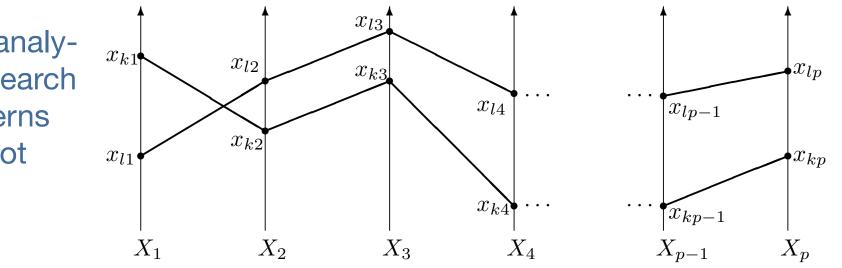
4S'



# **Parallel Coordinate Plots: Construction**

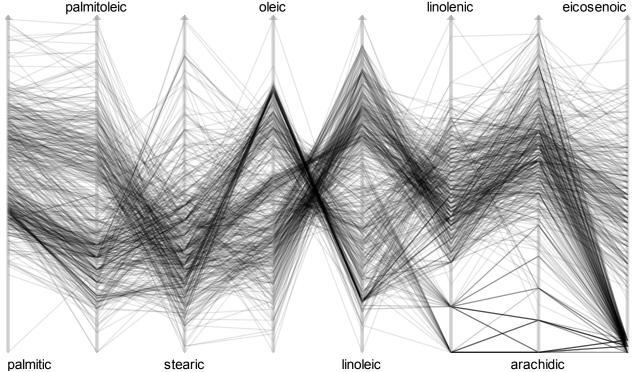
- Parallel coordinates plot all axes in parallel and thus can escape the flatland of the 2-dimensional screen
- Each observation is plotted along each univariate coordinate axis
- In order to be able to follow an observation through all dimensions the points across the axes are joined by a polyline
- Parallel coordinate plots have a lot of interesting geometrical features

 In data analysis we search for patterns in the plot



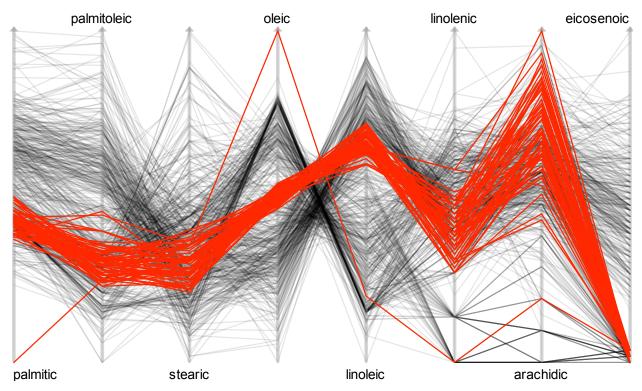
### **PCPs: Multivariate Overview**

- The most general use of parallel coordinate plots is to get an efficient overview of many variables at a time
- We should not expect to see too much of multivariate features but rather exploit the benefit of seeing many distributions in one view along with some initial structural
  - information
- Note: PCPs get cluttered quickly as we plot more and more data
  m α-transparency is needed!



# **PCPs: Profiles**

- With the ability to highlight single cases as well as whole subgroups we can efficiently link these cases across all variables and see their properties for many variables simultaneously
- Example: Italian Olive Oils
  - A single outlier is selected for 'oleic' and turns out to be an outlier for two more variables
  - The group of 'Inland Sardinian' oils is selected which forms a very narrow and compact band through almost all variables



palmitoleic

4.9

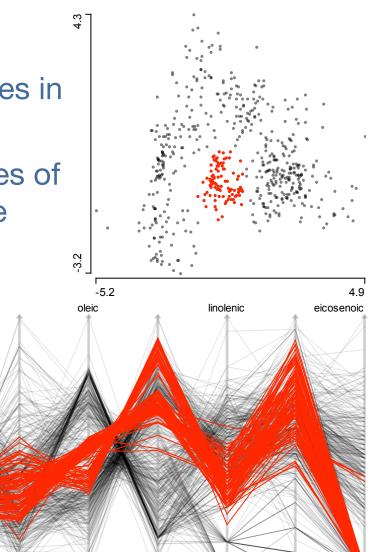
palmitic

stearic

# **PCPs: Monitoring**

- Often we want to interpret the results of statistical models or statistical procedures in order to iterate towards sound results
- In PCPs we can easily spot the properties of residuals or clusters resulting from these statistical procedures or models
- Example: MDS of fatty acids
  - The cluster in the center of the 2-dim output of the MDS is monitored in the PCP
  - It turns out that this cluster corresponds to all Sardinanioils which can be separated in the scatterplot of 'oleic' and 'linoleic'

-5.2



linoleic

arachidic

# **PCPs: Orderings**

- PCPs suffer most from unsuitable defaults. The most obvious degree of freedom in a PCP is the ordering of the axes.
- As structures are best observed for adjacent axes the reordering of axes can make the difference
- To see all possible n! adjacencies we need only L(n+1)/2 J plots
- Example: Order the axes by absolute correlation (there is no 'optimal' solution as each variable has only two neighbors)

